

Name: \_\_\_\_\_

Period: \_\_\_\_\_

### PreAP Energy Notes -

**Ep** Due to height ONLY (path doesn't matter. Only the final position.)  
conservative (path doesn't matter).  
 $mg$  (weight) = Force, so  $F_w$  times  $h = E_p$ .  
Must be relative to a point (Can be negative)  
 $h$  is always vertical  
Doubling  $m$  doubles  $E_p$  (since  $m$  is not squared); doubling  $h$  doubles  $E_p$ .  
Graphing ( $E_p$  vs  $m$  is linear;  $E_p$  vs  $h$  is also linear).

**W** Force times distance. Only the component of  $F$  parallel to the motion does work (use  $\cos$ ).  
 $W = \Delta E$ . Friction always removes energy so friction =  $-W$ .  
 $F$  could =  $mg$ , when lifting an object. Either  $F = mg$  OR  $W = E_p$   
No work done if object doesn't move.  
Units = joules. [in simpler units =  $Fd = mad = \text{kg}(\text{m}/\text{s}^2)\text{m} = \text{kgm}^2/\text{s}^2$ ]  
Graphed (area under  $F$  vs  $D$  graph = work done. Can be negative area.)

**E<sub>k</sub>** Energy of motion. Doesn't matter if it is above the ground or not.  
Can have other kinds of energy at the same time.  
Double  $m$ ,  $E_k$  doubles; Double  $v$ ,  $E_k$  quadruples.  
Always positive (since  $v$  is squared).  
Graphed ( $E_k$  vs  $m$  is linear;  $E_k$  vs  $v$  is quadratic [an upward parabola])

**PE<sub>el</sub>**  $k$  is spring constant –  $k$  is bigger for stronger spring  
Units are  $\text{N}/\text{m}$  or how many Newton's it takes to stretch it a meter.  
 $X$  is distance from equilibrium position (rest position)  
Always positive (since  $x$  is squared)  
Double  $k$ , doubles PE; Doubling  $x$ , quadruples PE.  
Graphed ( $PE_{el}$  vs  $k$  is linear;  $PE_{el}$  vs  $x$  is quadratic [an upward parabola])

**P** rate of doing work or giving energy (how FAST you do work or change energy)  
Slope of  $W$  vs. time graph is power.  
 $P = W/t$  OR  $P = Fd/t$  OR  $P = \Delta E/t$ . You don't have to know the work to find  $P$ . You could know the amount of energy you gave the object.  
Units = watts. (Like joules, it can be expressed as simpler units.)  
Since  $P = Fd/t$  and  $v = d/t$ ,  $P$  can also =  $Fv$ , if pushed at constant velocity.

Conservation of Energy – If no work is done, the total amount of mechanical  $E$  remains constant. If there is work then  $E_{\text{total}}$  increases ( $+W$ ) or decreases ( $-W$  [lost, like friction]). Pendulums and roller coaster are good examples of systems where  $E_p$  turns to  $E_k$  and back. In the absence of friction,  $E_{\text{total}}$  doesn't change. If there is friction, then  $E_{\text{total}}$  decreases over time.

Mechanical Energy – any kind of  $E_p$  or  $E_k$ . Mechanical energy is organized energy (as opposed to thermal energy which is random) and easy to utilize – easy to transfer to another kind. Energy is always conserved, but mechanical energy can be lost to thermal energy.