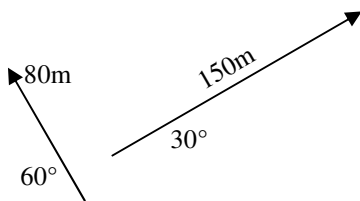


2011 PreAP Two Dimensions 5

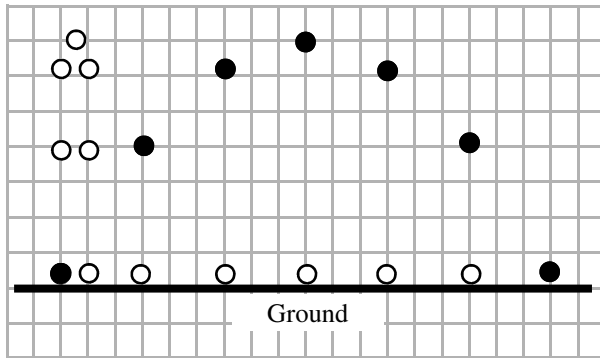
1. Give the correct magnitude and directions, given the following x and y totals.
 - A. * $x_{total} = 12 \text{ m}$ $y_{total} = -6 \text{ m}$ $R_{mag} =$ $R_{direction} (\theta) =$
 - B. * $x_{total} = -8 \text{ m}$ $y_{total} = -6 \text{ m}$ $R_{mag} =$ $R_{direction} (\theta) =$
 - C. * $x_{total} = 18 \text{ m}$ $y_{total} = 5 \text{ m}$ $R_{mag} =$ $R_{direction} (\theta) =$
 - D. $x_{total} = -7 \text{ m}$ $y_{total} = 16 \text{ m}$ $R_{mag} =$ $R_{direction} (\theta) =$

Now, using the "Adding Vectors" notes:

2. Add these vectors together, being sure that all angles start at the +x axis and keeping track of negatives.
 - A. At the bottom right, add them graphically (You have two paths. Redraw like "Crazy and Lazy").
 - B. * Fill in the chart and find the resultant's mag and direction..

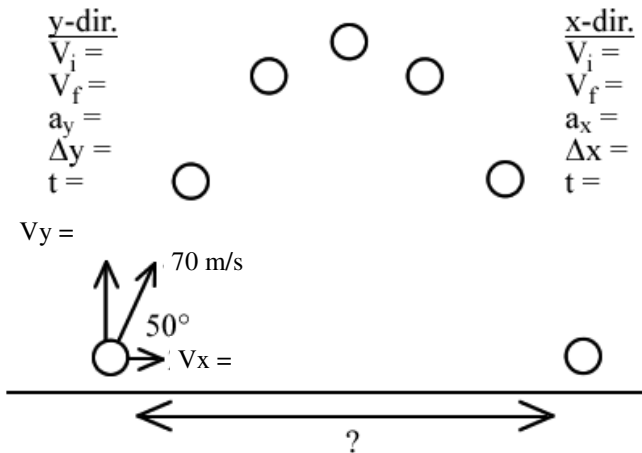


	Magni-tude	Direction	X-comp	Y-comp
V_1	80 m	*		
V_2	150 m	30°		
		Totals		
	R	Magn.		
		Direction		



3. As we saw in class, a projectile's motion can be broken up into its x and y components. From the graphic at the left:
 - A. * What is its y-direction acceleration?
 - B. * What is its x-direction acceleration?
 - C. * So, what equation can we use in the x-direction?
 - D. If its initial x-velocity = 3 m/s, what is its final x-velocity?
 - E. What is its y-velocity at the very top?
 - F. What variable will be the same for both the x and y directions?

4. * A projectile is launched 70 m/s at an angle of 50° . It is shot from the ground, to the ground.



- A. * You have the velocity and its angle, calculate the V_x and V_y (and label them on the diagram). These are initial vel.
 - B. * What is its y-direction acceleration? (*Label*)
 - C. * What is a_x ?
 - D. Since it is launched from the ground and lands back on the ground, what is Δy ?
 - E. * What is V_f in the y-direction?
 - F. Calculate the time in the y-direction.
- G. Since it has no x acceleration and you have time, calculate the distance it lands away from its launch position (*which is known as its range*).

1) using $\tan^{-1}(y/x)$

1A) mag = 13.4m $\theta = -26.6^\circ$ (4th Q)

1B) mag = 10 m $\theta = 36.9 + 180 = 216.9^\circ$ (3rd Q)

1C) $\theta = 15.5^\circ$

2) Direction for $V_1 = 120^\circ$ $R = 170$ m $\theta = 58.1^\circ$

3A) -9.8 m/s² 3B) 0 m/s² C) $S = D/T$

4A) $V_x = 45$ m/s $V_y = 53.6$ m/s

4B) $a_y = -9.8$ m/s² 4C) 0 m/s²

4E) $V_{y_{\text{final}}} = -53.6$ m/s